# Generalizations of the Simple Mover-stayer Model, Association Models and Quasi-symmetry Models, in the Analysis of Brand-switching Data and Other Cross-classified Data 

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The simple mover-stayer model considered here was introduced by Blumen, Kogan, and McCarthy (1955). The statistical procedures applied in their 1955 paper for analyzing this model required correction (see Goodman 1961), and correct methods were presented in a series of articles by Goodman (1961, 1963, 1964, 1968, 1969, 1972). The simple mover-stayer model can be viewed, in some sense, as equivalent to the model of quasi-independence in a two-way contingency table for the entries off the main-diagonal (see, e.g., Goodman 1963, 1969, 1972), and the more recent forms of association models and quasi-symmetry models (when applied to a two-way contingency table for the entries off the main-diagonal) can be viewed as generalizations of these models (see, e.g., Goodman 1979, 1985, 1986, 1991a,b). The simple mover-stayer model (or corresponding quasi-independence model) and the generalizations noted above will be applied to the $16 \times 16$ table (Table 1) obtained from the $15 \times 15$ brand-switching French data for 1989 for the 15 auto makes, by introducing a 16 -th column and 16 -th row (viz., column N , which includes purchases of other makes and cases where there is no information about make purchased, and row N , which includes previous ownership of other makes or of no car at all and cases where there is no information about previous ownership). Tables 1 to 4 pertain to the $16 \times 16$ table, and Tables 5 to 7 pertain to the original $15 \times 15$ table.
The independence model O applied to the $16 \times 16$ table can be tested as usual, with $15 \times 15=225$ d.f., and the quasi-independence model O ' applied to the entries in this table off the main-diagonal can be tested with 225-16 = 209 d.f. The uniform association model U', the association model $\mathrm{RC}_{\mathrm{H}}$ ' in which the row-column scores are homogeneous, and the symmetric association model QS', are all models that are applied here to the entries off the main-diagonal, and these models can be tested with $209-1=208$ d.f., $15 \times 14-16=194$ d.f., and $15 \times 14 / 2=$ 105 d.f., respectively (see, e.g., Goodman 1979, 1985, 1991a). Table 2 gives the results obtained for these models, and corresponding results are presented in Table 3 for the results obtained when the association models $\mathrm{RC}_{1}{ }^{\prime}, \mathrm{RC}_{2}{ }^{\prime}, \mathrm{RC}_{3}{ }^{\prime}$, and $\mathrm{RC}_{4}{ }^{\prime}$ (one-, two-, three-, and four-component models) are applied to the entries in the $16 \times 16$ table off the main-diagonal, with $14 \times 14-16=$ 180 d.f., $13 \times 13-16=153$ d.f., $12 \times 12-16=128$ d.f., and $11 \times 11-16=105$ d.f., respectively (see, e.g., Goodman 1985, 1986). The quasi-independence model O' (or the corresponding simple mover-stayer model) explains a large part of the association in the $16 \times 16$ table (see Table 2.2 and 3.2), but the model is not congruent with the data if the usual statistical criteria are applied. The $\mathrm{RC}_{4}{ }^{\prime}$ association model (with 105 d.f.) is congruent with the data using the usual criteria, and the QS' symmetric association model (with 105 d.f.) is not. (The QS' model is equivalent to the usual quasi-symmetry model.) Table 4 gives the maximum-likelihood estimates of the parameters in the simple mover-stayer model (corresponding to quasi-independence model O') and also some other related quantities. The adjusted column marginal proportion for, say, auto-make Re is .259 (see Table 4.1), which is the estimated probability that a potential mover (i.e., a potential switcher) will buy auto-make Re (regardless of previous auto-make); and the corresponding index of Wpersistence is .49 (see Table 4.2), which is the estimated proportion of stayers (i.e., hard-core auto-make-loyal owners) among those whose previous auto-make is Re, estimated under the simple mover-stayer model (see, e.g., Goodman 1961, 1969, 1972). The estimates of the indices of persistence in Table 4.2, and the other estimates presented there, which were calculated under the simple mover-stayer model (or the corresponding quasi-independence model $\mathrm{O}^{\prime}$ ), will change when this model is replaced by one of the generalizations (e.g., association
model $\mathrm{RC}_{4}$ ' or symmetric association model QS'); and the probability that a potential mover (i.e., a potential switcher) will buy a given auto-make, which does not depend on previous auto-make under the simple mover-stayer model, will change to a probability that does depend on previous auto-make when this model is replaced by one of the generalizations. The results for the generalizations will be presented in a separate report along with appropriate graphical displays.

As in Tables 2 and 3 for the $16 \times 16$ table, we give in Tables 5 and 6 the corresponding results for the $15 \times 15$ table (deleting the 16 -th row and column). From Tables 5 and 6 , we see that the quasi-independence model (or the corresponding simple mover-stayer model) explains a large part of the association in the $15 \times 15$ table, but the model is not congruent with the data if the usual statistical criteria are applied. The $\mathrm{RC}_{4}$ ' association model (with 85 d.f.) fits the data very well, and the $\mathrm{RC}_{3}{ }^{\prime}$ association model (with 106 d.f.) is also congruent with the data using the usual criteria. The usual quasi-symmetry model QS' (with 91 d.f.) is not congruent with the data, but a modified quasi-symmetry model QS" (with 86 d.f.) is. The modification of the QS' model is obtained by allowing five exceptions to symmetric association (see, e.g., Goodman 1991b). The exceptions in the $15 \times 15$ table are for entries C-Se, VW - Ro, VW - P, VW - Re, and M - B. (It is important to note that the selection of these entries was data-based.)
Tables corresponding to Table 4 can also be presented for the $15 \times 15$ table, based on the simple mover-stayer model and on the generalizations noted above. Association model $\mathrm{RC}_{3}{ }^{\prime}$ or $\mathrm{RC}_{4}{ }^{\prime}$ also lead to the determination of the three or four dimensions that describe the relationships among the auto-makes (with respect to brand-switching); and when the row x column interaction parameters in the QS" model are appropriately defined, the estimates of these parameters also provide a way of ordering the auto-makes. All of this will be presented in a separate report along with appropriate graphical displays. As an indication of one of the kinds of results included in the separate report we provide here Table 7, the row x column estimated interactions (when appropriately defined) under the QS" model. (In order to facilitate understanding of this kind of table and provide somewhat simpler results, the results are presented here for the QS" model applied to the $13 \times 13$ table obtained when auto-makes B and L are omitted.)

Table 1:The $16 \times 16$ table of counts for 15 auto make categories and one residual category (viz., $N$ ) that includes other makes and no information

| Previous | Newly Purchased Make |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | A | B | C | Fi | Fo | G | L | M | P | Re | Ro | Sa | Se | VW | Vo | N |
| A | 97 | 5 | 19 | 19 | 14 | 7 | 0 | 3 | 27 | 35 | 5 | 1 | 6 | 17 | 4 | 9 |
| B | 4 | 163 | 20 | 9 | 14 | 6 | 0 | 19 | 39 | 40 | 6 | 3 | 4 | 29 | 4 | 14 |
| C | 6 | 13 | 1811 | 136 | 98 | 67 | 21 | 15 | 464 | 477 | 29 | 1 | 28 | 90 | 10 | 45 |
| Fi | 11 | 5 | 69 | 526 | 50 | 49 | 12 | 3 | 134 | 148 | 27 | 1 | 17 | 82 | 5 | 26 |
| Fo | 4 | 10 | 45 | 53 | 696 | 76 | 8 | 8 | 121 | 146 | 20 | 1 | 23 | 60 | 7 | 34 |
| G | 2 | 7 | 20 | 23 | 50 | 362 | 7 | 4 | 68 | 80 | 7 | 0 | 12 | 39 | 4 | 25 |
| L | 0 | 0 | 12 | 13 | 11 | 12 | 68 | 0 | 25 | 16 | 4 | 0 | 3 | 7 | 0 | 9 |
| M | 2 | 17 | 3 | 3 | 5 | 2 | 0 | 136 | 4 | 10 | 3 | 1 | 1 | 5 | 3 | 15 |
| P | 13 | 23 | 273 | 164 | 195 | 168 | 34 | 23 | 2928 | 728 | 47 | 2 | 60 | 199 | 20 | 85 |
| Re | 22 | 37 | 353 | 334 | 308 | 254 | 40 | 33 | 896 | 4861 | 78 | 4 | 106 | 310 | 24 | 115 |
| Ro | 2 | 4 | 18 | 25 | 30 | 3 | 6 | 1 | 30 | 45 | 115 | 0 | 6 | 40 | 2 | 10 |
| Sa | 1 | 2 | 0 | 1 | 0 | 0 | 0 | 2 | 0 | 0 | 0 | 10 | 0 | 2 | 1 | 1 |
| Se | 2 | 0 | 13 | 10 | 10 | 11 | 0 | 0 | 10 | 29 | 3 | 0 | 36 | 13 | 0 | 0 |
| VW | 6 | 21 | 50 | 51 | 65 | 59 | 2 | 10 | 177 | 115 | 13 | 3 | 25 | 772 | 9 | 39 |
| Vo | 1 | 3 | 11 | 5 | 4 | 6 | 0 | 3 | 9 | 17 | 3 | 2 | 4 | 18 | 78 | 5 |
| N | 36 | 57 | 467 | 275 | 289 | 209 | 35 | 53 | 907 | 1190 | 80 | 7 | 63 | 303 | 33 | 423 |

Table 2.1: Association models applied to $16 \times 16$ table

| Models | Degrees of <br> Freedom | Goodness-of-fit <br> chi-square | Likelihood-ratio <br> chi-square |
| :--- | :---: | :---: | :---: |
| Independence model O | 225 | 61110.76 | 22817.55 |
| Quasi-independence model O' | 209 | 1245.25 | 859.29 |
| Uniform association model U' | 208 | 664.79 | 588.23 |
| Homogeneous RC association model $\mathrm{RC}_{\mathrm{H}}{ }^{\prime}$ | 194 | 588.23 | 549.41 |
| Symmetric association model QS' | 105 | 243.75 | 231.66 |

Table 2.2: Analysis of Association (ANOAS) in $16 \times 16$ Table: Components in O Model

| Components | Models Used | Degrees of Freedom | Likelihood-ratio chi-square | Component percentage |
| :---: | :---: | :---: | :---: | :---: |
| Non-independence on main-diagonal in $O^{\prime}$ model | O-O' | 16 | 21958.26 | 96.2\% |
| Symmetric association in QS' model | O'-QS' | 104 | 627.63 | 2.8\% |
| Asymmetric association | QS' | 105 | 231.66 | 1.0\% |
| Total effects | O | 225 | 22817.55 | 100.0\% |

Table 2.3: ANOAS in $16 \times 16$ Table of Main-Diagonal: Components in O’ Model

| Components | Models Used | Degrees of Freedom | Likelihood-ratio chi-square | Component percentage |
| :---: | :---: | :---: | :---: | :---: |
| Association in U' model | O'-U' | 1 | 271.06 | 31.5\% |
| Unequal spacing of row-column scores in RC' ${ }_{H}$ model | $\mathrm{U}^{\prime}-\mathrm{RC}^{\prime}{ }_{\mathrm{H}}$ | 14 | 38.72 | 4.6\% |
| Symmetric association not in $\mathrm{RC}^{\prime}{ }_{\mathrm{H}}$ model | RC' ${ }_{\mathrm{H}}{ }^{\text {Q }}$, ${ }^{\prime}$ | 89 | 317.85 | 37.0\% |
| Asymmetric | QS' | 105 | 231.66 | 27.0\% |
| Total effects |  | 209 | 859.29 | 100.0\% |

Table 3.1: Association Models Applied to $16 \times 16$ Table

| Models | Degrees of <br> Freedom | Goodness-of-fit <br> chi-square | Likelihood-ratio <br> chi-square |
| :--- | :---: | :---: | :---: |
| Independence model O | 225 | 61110.76 | 22817.55 |
| Quasi-independence model O' | 209 | 1245.25 | 859.29 |
| Association model RC', | 180 | 410.63 | 421.58 |
| Association model RC', | 153 | 250.66 | 260.13 |
| Association model RC' |  | 128 | 160.67 |
| Association model RC' | 4 | 105 | 112.83 |

Table 3.2: Analysis of Association (ANOAS) in $16 \times 16$ Table: Components in $\mathbf{O}$ Model

| Components | Models <br> Used | Degrees of <br> Freedom | Likelihood-ratio <br> chi-square | Component <br> percentage |
| :--- | :---: | :---: | :---: | :---: |
| Non-independence on main- <br> diagonal in O' model | $\mathrm{O}-\mathrm{O}$ | 16 | 21958.26 | $96.2 \%$ |
| Association off main-diagonal <br> explained in $\mathrm{RC}^{\prime}{ }_{4}$ model | $\mathrm{O}^{\prime}$ 'RC' $_{4}$ | 104 | 744.92 | $3.3 \%$ |
| Association unexplained in $\mathrm{RC}^{\prime}{ }_{4}$ <br> model | $\mathrm{RC'}_{4}$ | 105 | 114.37 | $0.5 \%$ |
| Total effects | O | 225 | 22817.55 | $100.0 \%$ |

Table 3.3: ANOAS in $16 \times 16$ Table off Main-Diagonal: Components in O' Model

| Components | Models Used | Degrees of Freedom | Likelihoodratio chi-square | Component percentage |
| :---: | :---: | :---: | :---: | :---: |
| Association in $\mathrm{RC}^{\prime}{ }_{1}$ model | $\mathrm{O}^{\prime}-\mathrm{RC}^{\prime}{ }_{1}$ | 291 | 437.71 | 50.9\% |
| Second component in $\mathrm{RC}^{\prime}{ }_{2}$ model | $\mathrm{RC}^{\prime}{ }_{1}-\mathrm{RC}^{\prime}{ }_{2}$ | 27 | 161.45 | 18.8\% |
| Third component in $\mathrm{RC}^{\prime}{ }_{3}$ model | $\mathrm{RC}^{\prime}{ }_{2}-\mathrm{RC}^{\prime}{ }_{3}$ | 25 | 92.22 | 10.7\% |
| Fourth component in $\mathrm{RC}^{\prime}{ }_{4}$ model | $\mathrm{RC}^{\prime}{ }_{3}-\mathrm{RC}^{\prime}{ }_{4}$ | 23 | 53.54 | 6.2\% |
| Association unexplained in $\mathrm{RC}^{\prime} 4$ model | $\mathrm{RC}^{\prime}{ }_{4}$ | 105 | 114.37 | 13.3\% |
| Total effects | O' | 209 | 859.29 | 100.0\% |

Table 4.1: Marginal Percentages for $16 \times 16$ Table. Gross, Net and Adjusted Marginals for Quasi-Independence Model O' off Main-Diagonal

| Auto Make | Column Marginal |  |  | Row Marginal |  |  |
| :---: | ---: | ---: | ---: | ---: | ---: | ---: |
|  | Gross | Net | Adjusted | Net | Gross | Adjusted |
| A | 0.8 | 0.8 | 0.7 | 1.0 | 1.2 | 1.1 |
| B | 1.4 | 1.5 | 1.3 | 1.4 | 1.5 | 1.4 |
| C | 11.9 | 10.0 | 9.7 | 12.4 | 11.0 | 10.5 |
| Fi | 6.2 | 8.2 | 7.4 | 4.4 | 4.7 | 4.4 |
| Fo | 6.9 | 8.3 | 7.6 | 4.9 | 4.5 | 4.2 |
| G | 4.8 | 6.8 | 6.0 | 2.7 | 2.5 | 2.3 |
| L | 0.9 | 1.2 | 1.1 | 0.7 | 0.8 | 0.7 |
| M | 1.2 | 1.3 | 1.1 | 0.8 | 0.5 | 0.5 |
| P | 21.8 | 21.3 | 22.1 | 18.5 | 14.9 | 16.5 |
| Re | 29.6 | 22.5 | 25.9 | 29.0 | 21.3 | 24.9 |
| Ro | 1.6 | 2.4 | 2.1 | 1.3 | 1.6 | 1.4 |
| Sa | 0.1 | 0.2 | 0.2 | 0.1 | 0.1 | 0.1 |
| Se | 1.5 | 2.6 | 2.3 | 0.5 | 0.7 | 0.7 |
| Vw | 7.4 | 8.9 | 8.0 | 5.3 | 4.7 | 4.4 |
| Vo | 0.8 | 0.9 | 0.8 | 0.6 | 0.7 | 0.6 |
| N | 3.2 | 3.2 | 3.7 | 16.5 | 29.2 | 26.3 |

Table 4.2: Indices of Persistence and a Ratio Index for Quasi-Independence Model O ${ }^{\prime}$ off Main-Diagonal

| Auto Make | Row-Persistence | Column-Persistence | Stayer-Ratio |
| :---: | :---: | :---: | :---: |
| A | .36 | .46 | 78.6 |
| B | .43 | .44 | 58.2 |
| C | .50 | .52 | 11.2 |
| Fi | .41 | .29 | 10.3 |
| Fe | .49 | .35 | 13.8 |
| G | .48 | .26 | 16.2 |
| L | .37 | .29 | 57.1 |
| M | .64 | .43 | 161.4 |
| P | .47 | .40 | 5.1 |
| Re | .49 | .48 | 4.8 |
| Ro | .33 | .25 | 24.3 |
| Sa | .50 | .28 | 606.2 |
| Se | .25 | .09 | 15.3 |
| VW | .51 | .36 | 13.7 |
| Vo | .46 | .38 | 106.0 |
| N | .06 | .31 | 2.7 |

Table 5.1: Association Models Applied to $15 \times 15$ Table

| Models | Degrees of <br> Freedom | Goodness-of-fit <br> chi-square | Likelihood-ratio <br> chi-square |
| :--- | :---: | :---: | ---: |
| Independence model O | 196 | 61027.96 | 22219.69 |
| Quasi-independence model O' | 181 | 1148.15 | 706.33 |
| Uniform association model U' | 180 | 446.63 | 417.74 |
| Homogeneous RC association model RC' |  | 377.08 | 375.57 |
| Symmetric association model QS' | 167 | 125.92 | 129.82 |
| Modified quasi-symmetry QS" | 91 | 86.11 | 89.49 |

Table 5.2: Analysis of Association (ANOAS) in $15 \times 15$ Table: Components in O Model

| Components | Models <br> Used | Degrees of <br> Freedom | Likelihood-ratio <br> chi-square | Component <br> percentage |
| :--- | :---: | :---: | :---: | :---: |
| Non-independence on main- <br> diagonal in O' model | O-O | 15 | 21513.36 | $96.8 \%$ |
| Symmetric association in QS' <br> model | O'-QS' | 95 | 616.84 | $2.8 \%$ |
| Association unexplained in QS", <br> model | QS' | 86 | 89.49 | $1.4 \%$ |
| Total effects | O | 196 | 22219.69 | $100.0 \%$ |

Table 5.3: ANOAS in $15 \times 15$ Table of Main-Diagonal: Components in O’ Model

| Components | Models <br> Used | Degrees of Freedom | Likelihood-ratio chi-square | Component percentage |
| :---: | :---: | :---: | :---: | :---: |
| Association in U' model | O'-U' | 1 | 288.59 | 40.9\% |
| Unequal spacing of row-column scores in RC' ${ }_{H}$ model | $\mathrm{U}^{\prime}-\mathrm{RC}^{\prime}{ }_{\mathrm{H}}$ | 13 | 42.17 | 6.0\% |
| Symmetric association not in $\mathrm{RC}^{\prime}{ }_{\mathrm{H}}$ model | RC' ${ }_{\mathrm{H}}$-QS' | 76 | 245.75 | 34.8\% |
| Asymmetric association in QS" model | QS'-QS" | 5 | 40.33 | 5.7\% |
| Association unexplained in QS" model | QS" | 86 | 89.49 | 12.7\% |
| Total effects |  | 181 | 706.33 | 100.0\% |

Table 6.1: Association Models Applied to $15 \times 15$ Table

| Models | Degrees of <br> Freedom | Goodness-of-fit <br> chi-square | Likelihood-ratio <br> chi-square |
| :--- | :---: | ---: | ---: |
| Independence model O | 196 | 61027.96 | 22219.69 |
| Quasi-independence model O' | 181 | 1148.15 | 706.33 |
| Association model RC' | 154 | 315.96 | 326.24 |
| Association model RC' |  | 129 | 192.41 |
| Association model RC' |  |  | 111.60 |
| Association model RC' ${ }_{4}$ | 85 | 69.71 | 203.20 |

Table 6.2: Analysis of Association (ANOAS) in $15 \times 15$ Table: Components in $O$ Model

| Components | Models <br> Used | Degrees of <br> Freedom | Likelihood-ratio <br> chi-square | Component <br> percentage |
| :--- | :---: | :---: | :---: | :---: |
| Non-independence on main- <br> diagonal in O' model | $\mathrm{O}^{\prime} \mathrm{O}^{\prime}$ | 15 | 21513.36 | $96.8 \%$ |
| Association off main-diagonal <br> explained in $\mathrm{RC}^{\prime}{ }_{4}$ model | $\mathrm{O}^{\prime}$-RC' ${ }_{4}$ |  |  |  |

Table 6.3: ANOAS in $15 \times 15$ Table off Main-Diagonal: Components in O' Model

| Components | Models Used | Degrees of Freedom | Likelihood-ratio chi-square | Component percentage |
| :---: | :---: | :---: | :---: | :---: |
| Association in $\mathrm{RC}^{\prime}{ }_{1}$ model | O'-RC' ${ }_{1}$ | 27 | 380.09 | 53.8\% |
| Second component in $\mathrm{RC}^{\prime}{ }_{2}$ model | $\mathrm{RC}^{\prime}{ }_{1}-\mathrm{RC}^{\prime}{ }_{2}$ | 25 | 123.04 | 17.4\% |
| Third component in $\mathrm{RC}_{3}{ }_{3}$ model | $\mathrm{RC}^{\prime}{ }_{2}-\mathrm{RC}^{\prime}{ }_{3}$ | 23 | 85.97 | 12.2\% |
| Fourth component in $\mathrm{RC}^{\prime}{ }_{4}$ model | $\mathrm{RC}^{3}{ }_{3}-\mathrm{RC}^{4}$ | 21 | 46.48 | 6.6\% |
| Association unexplained in $\mathrm{RC}_{4}$ model | $\mathrm{RC}_{4}{ }_{4}$ | 85 | 70.75 | 10.0\% |
| Total effects | O' | 209 | 706.33 | 100.0\% |

Table 7: Row x Column Interactions in Modified Quasi-Symmetry Model QS" Applied to $13 \times 13$ Table Obtained from $15 \times 15$ Table with Deleted B and L Auto-Makes

|  | G | Ro | Se | C | P | Re | Fo | Fi | VW | A | Vo | M | Sa |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: | ---: |
| G | -- | 18.7 | 19.5 | 12.9 | 13.2 | 12.9 | 13.2 | 12.0 | 11.4 | 10.0 | 9.6 | 9.1 | 0.0 |
| Ro |  | -- | 18.5 | 12.4 | 12.2 | 12.0 | 12.4 | 11.7 | 11.2 | 9.9 | 9.0 | 8.7 | 0.0 |
| Se |  |  | -- | 12.7 | 11.9 | 11.9 | 11.9 | 11.0 | 10.4 | 9.7 | 8.6 | 7.3 | 0.0 |
| C |  |  | 11.8 | -- | 6.7 | 6.2 | 5.6 | 5.3 | 3.9 | 3.5 | 2.6 | 2.2 | 0.0 |
| P |  |  |  |  | -- | 6.0 | 5.6 | 4.9 | 4.0 | 3.1 | 2.2 | 1.9 | 0.0 |
| Re |  |  |  |  |  | -- | 5.3 | 4.7 | 3.7 | 2.9 | 1.9 | 1.7 | 0.0 |
| Fo |  |  |  |  |  |  | -- | 4.4 | 3.7 | 2.8 | 1.8 | 1.9 | 0.0 |
| Fi |  |  |  |  |  |  |  | -- | 3.1 | 2.7 | 1.1 | 0.4 | 0.0 |
| VW |  | 10.2 |  |  | 4.4 | 3.4 |  |  | -- | 1.4 | 1.1 | 0.4 | 0.0 |
| A |  |  |  |  |  |  |  |  |  | -- | 0.5 | 0.2 | 0.0 |
| Vo |  |  |  |  |  |  |  |  |  |  | -- | 0.0 | 0.0 |
| M |  |  |  |  |  |  |  |  |  |  |  | -- | 0.0 |
| Sa |  |  |  |  |  |  |  |  |  |  |  |  | -- |

